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Real-Time Implementation of an Acoustic Echo Canceller on DSP [1]

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Real-Time Implementation of an Acoustic Echo Canceller on DSP

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Abstract—**Acoustic echo cancellation is an essential signal enhancement tool for teleconferencing applications such as hands-free telephony, teleclassing and video-conferencing. However, loudspeaker signals are picked up by a microphone and are fed back to the correspondent, resulting in an undesired echo. Nowadays, adaptive filtering techniques are typically employed to suppress this echo. In acoustic applications long filters need to be adapted for sufficient echo suppression. Classical adaptation schemes such as LMS are too expensive to do an accurate echo path modelling in highly reverberating environments. Cheaper algorithms were proposed and are mainly based on subband and frequency-domain techniques. However, due to nonlinearities and the time-dependence of the echo path some residual echo will always remain. Apart from the adaptive filter also some post-processing and a steering algorithm have to be included to remove the residuals and to ensure proper operation during double-talk. By modelling then only a part of the echo path more expensive adaptive algorithms such as LMS can be reconsidered. Different adaptive algorithms have been implemented in real time on DSP. They are compared based on a cost/performance analysis. A steering algorithm is used that can withstand the non-stationarities of the acoustic environment.**

I. Introduction

Hands-free teleconferencing systems such as hands-free telephones (in cars), tele-classing and video-conferencing systems provide a comfortable way of communicating. However, signal deterioration occurs when loudspeaker signals are picked up by a microphone and are sent back to the correspondent. This results in an undesired echo as shown in figure 1. Conventional techniques used in classical telephony such as clipping and voice controlled switching [1] only have a limited performance. More advanced techniques using powerful digital signal processing equipment are expected to provide a better signal quality.

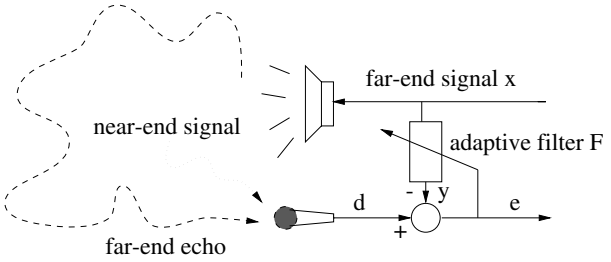


Fig. 1. Echo cancellation setup

II. Adaptive Filtering Techniques

A. Least Mean Squares

Nowadays, acoustic echoes are typically suppressed by means of adaptive filtering techniques [2]. An adaptive filter iteratively converges to an estimate of the impulse response of the acoustic path (see figure 1). Of all existing adaptive algorithms the Least Mean Squares algorithm may be best known. An FIR filter F is updated iteratively :

$$F_{new} = F_{old} + \mu(d - F_{old}^T \mathbf{x})\mathbf{x} \qquad (1)$$

LMS-based algorithms have a complexity that is linear in the filter length, but they suffer from a rather slow convergence for signals with a coloured spectrum such as speech. In order to cope with dynamic signals the stepsize μ can be normalised such that it becomes inversely proportional to the energy of $\mathbf{x}$. This normalised version of LMS (NLMS) is used in practical echo cancellers.

As acoustic echo cancellers have to operate in real-time, they should fit on a (single) DSP processor with limited computational capacity and memory. In acoustic applications long filters need to be adapted for sufficient echo suppression. Classical adaptation schemes such as LMS are too expensive to do an ac-

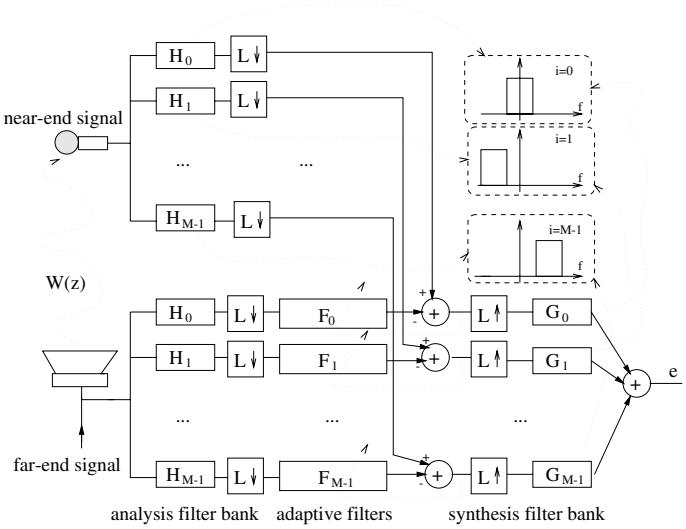


Fig. 2. Subband adaptive echo canceller

curate echo path modelling in highly reverberating environments. More efficient structures have been proposed over the last 15 years that are mainly based on subband or frequency-domain techniques.

B. Subband Adaptive Filtering

A general setup for subband acoustic echo cancellation is shown in figure 2. The input signals are first processed by identical M-band analysis filter banks and then downsampled with a factor L. The far-end subband signals are passed through a set of adaptive filters F_i. The subband error signals are then finally recombined in the synthesis filter bank. The ideal frequency amplitude characteristics of the analysis bank filters H_i and synthesis bank filters G_i are shown (ideal bandpass filters). Due to aliasing effects, this setup will only work for $M \geqslant L$.

B.1 Critically Downsampled Subband Schemes

If L is chosen equal to M a critically downsampled subband adaptive filter is being implemented. It seems attractive because optimal computational savings can be made as L is as high as possible. In [3] it is shown that critically downsampled subband systems lead to a residual modelling error which is considerable unless cross filters are included between neighbouring subbands. Cross filters again increase the complexity. Furthermore, cross filters fail to converge quickly. This suggests the use of oversampled subband schemes for which $M > L$.

B.2 Oversampled Subband Schemes

Splitting signals into subbands seems very promising, since for coloured input spectra the convergence of fullband LMS is slow. Here, each downsampled subband signal will have a flatter spectrum, leading to improved convergence if an LMS updating algorithm is used to adapt the subband weights. As all computations can be done at the lower sampling rate, this subband approach is supposed to give a better performance at a lower cost.
In practice a considerable residual error remains. It appears that the subband filters need to be larger than expected and that an extra delay has to be inserted in the near-end signal path in order to remove the error[4][5]. The effective computational gain w.r.t. LMS is therefore smaller than expected.

C. Frequency-Domain Adaptive Filters

C.1 FDAF

By applying block processing techniques, implementation cost can be exchanged for extra delay. BLMS is a block version of LMS. When it is translated in frequency domain it leads to the frequency-domain adaptive filter (FDAF)[6]. The FDAF is only computationally attractive if the block length equals the filter length approximately. In practice this leads to unacceptable input/output delays.

C.2 PBFDAF

By partitioning the adaptive filter a canceller with acceptable delay and low implementation cost can be obtained. It was called the Partitioned Block Frequency-Domain Adaptive Filter (PBFDAF)[7][8]. The N-taps fullband adaptive filter $w(k)$ is partitioned in $\frac{N}{P}$ equal parts $w_p(k)$:[1]

$$w_p(k) \overset{p=0\rightarrow\frac{N}{P}-1}{=} \begin{cases} w(k) & k = pP \rightarrow (p+1)P-1 \\ 0 & \text{elsewhere} \end{cases} \tag{2}$$

The equations for the PBFDAF are[2] :

$$\mathbf{X}_{n-p} \overset{\forall p}{=} \text{diag}\left\{ \mathbf{F} \begin{bmatrix} x((n+1)L-pP-M+1) \\ \vdots \\ x((n+1)L-pP) \end{bmatrix} \right\} \tag{3}$$

$$\mathbf{y} = \begin{bmatrix} \mathbf{0}_{P-1} & \mathbf{0} \\ \mathbf{0} & \mathbf{I}_L \end{bmatrix} \mathbf{F}^{-1} \sum_{p=0}^{\frac{N}{P}-1} \mathbf{X}_{n-p} \mathbf{W}_{p_n} \tag{4}$$

$$\mathbf{d} = \begin{bmatrix} \mathbf{0} \\ \mathbf{d}_n \end{bmatrix}, \qquad \mathbf{d}_n = \begin{bmatrix} d(nL+1) \\ \vdots \\ d((n+1)L) \end{bmatrix} \tag{5}$$

$$\mathbf{e} = \mathbf{d} - \mathbf{y} \tag{6}$$

[1] We assume that $\frac{N}{P}$ is integer.
[2] For signal conventions : see figure 1

$$\mathbf{W}_{p_{n+1}} \stackrel{\forall p}{=} \mathbf{W}_{p_n} + \mathbf{F}\begin{bmatrix} \mathbf{I}_P & \mathbf{0} \\ \mathbf{0} & \mathbf{0}_{L-1} \end{bmatrix}\mathbf{F}^{-1}\Delta\mathbf{X}_{n-p}^H\mathbf{F}\mathbf{e} \quad (7)$$

The block length is L, the corresponding input/output delay equals $2L-1$. $\mathbf{F}$ is an $M \times M$ DFT matrix, $\Delta = 2\text{diag}(\mu_n)$ and $M = P+L-1$.[3] Ideally, equation 3 requires only 1 DFT operation, which corresponds to $p = 0$. $\mathbf{X}_{n-p}$ for $p > 0$ can be recovered from previous iterations if P is divisible by L.

It was shown in [9] that the PBFDAF scheme can be put into the oversampled subband framework. The PBFDAF implements a simple DFT modulated perfect reconstruction filter bank with filters having sinc-like frequency characteristics.

There exists two variants, called the constrained and the unconstrained PBFDAF. For the unconstrained version $\mathbf{F}\begin{bmatrix} \mathbf{I}_P & \mathbf{0} \\ \mathbf{0} & \mathbf{0}_{L-1} \end{bmatrix}\mathbf{F}^{-1}$ is left out from Eq. 7. The unconstrained updating requires 3 FFTs whereas the constrained PBFDAF is more expensive, having an extra $\frac{2N}{P}$ FFTs to compute. The latter on the other hand has better convergence properties.

Stepping several times through Eq. 4, 5, 6 and 7 with n kept constant leads to an approved weight update. This algorithm, which of course enhances the convergence behaviour, will be called the PBFRAP[4] [10].

Introducing stepsize normalisation is another way of improving convergence. As the PBFDAF takes on the form of an oversampled subband adaptive filter more or less, applying different stepsizes for each subband, dependent on the subband energy, improves the convergence.

In practical design, block length L is constrained by the maximal tolerable delay. For a sampling frequency of 8 kHz and a maximal delay of 16 ms L is constrained to be smaller than or equal to 64. A value for P that minimises the implementation cost is then preferred. Figure 3 shows (an estimate of) the complexity gain $\frac{\text{cost PBFDAF}}{\text{cost LMS}}$ as a function of P. "Spikes" correspond to situations for which P is divisible by L. In this case $\mathbf{X}_{n-p}, p > 0$ can be recovered from previous iterations. Highlighted ($\star$) parts on the curves refer to setups for which M is a power of 2. For values of $M \neq 2^r$ the complexity gain is over-estimated as FFT costs were used for gain computation. The different curves correspond to N=10, 50, 100, 200, 2000. Apparently the "classical" PBFDAF with $L = P = \frac{M}{2}$ is preferred except for N=2000. In general, one can

[3] $P+L-1$ is in fact a lower bound for M, so also $M > P+L-1$ will work.

[4] RAP stands for Row Action Projection.

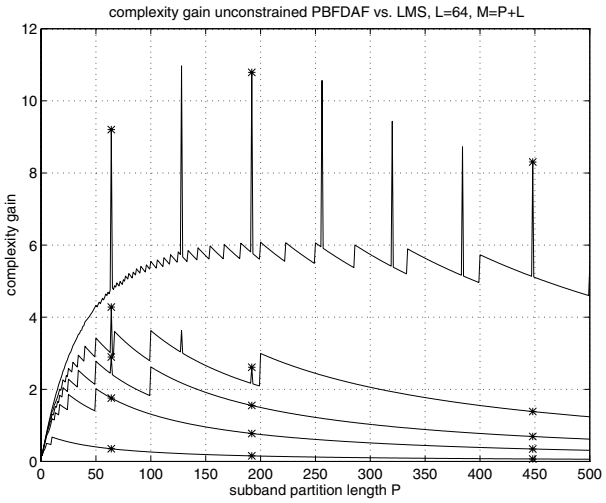


Fig. 3. Optimal P

state that $L = P = \frac{M}{2}$ is a good choice. Only when N becomes large or the maximal tolerable delay is small, $\frac{P}{L} > 1$ can be put forward.

III. Robust Operation and Control

A. Control algorithm

Until now the design of adaptive filtering schemes was discussed. An echo canceller however, operates in a time-varying environment and has to cancel highly non-stationary signals such as speech. A robust system is then required. Some extra control parameters have to be included, which are basically used to steer the adaptation speed. Intensive testing and tuning should eventually lead to a cheap control system which is as robust as possible. A more elaborated scheme replacing figure 1 is shown in figure 4.[5] For control the

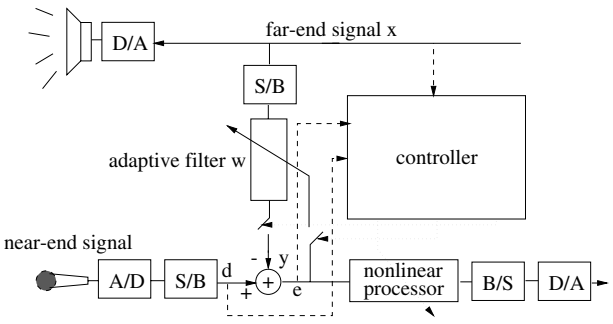


Fig. 4. Acoustic Echo Canceller

energy of the **x**-, **d**- and **e**-buffer can be tracked. For complexity reasons, energy estimates such as $E_x(n)$ are not recomputed from scratch at each time instance

[5] The A/D and D/A units are analog-to-digital and digital-to-analog converters respectively. S/B and B/S stand for serial-to-block and block-to-serial conversion.

(e.g. $E_x(n) = \mathbf{x}_n^T \mathbf{x}_n$) but recursively :

$$E_x(n) = E_x(n-1) + x(n)^2 - x(n-N)^2 \qquad (8)$$

Formula 8 is not so robust however, as round-off errors could dominate $E_x(n)$ after a while. An appealing alternative, having the same low complexity, is based on a 'forgetting factor' β. Round-off errors fade away as long as $0 < \beta < 2$.

$$E_x(n) = (1-\beta)E_x(n-1) + \beta x(n)^2 \qquad (9)$$

$E_x(n)$ is a smoothed estimate of the far-end energy. In the adaptive weight updating equation, the inverse of $E_x(n)$ is needed. Inversion is an expensive operation on DSP. A cheap computation of $E_x(n)$ is then overshadowed by an expensive inversion. For small values of β the inverse of $E_x(n)$ may be updated instead of $E_x(n)$ itself [11].

Once the energies are computed, some control decisions can be made. For instance, if the far-end signal energy is lower than a certain threshold ϵ, no far-end stimulus is supposed to be present. The adaptation process is frozen and the near-end signal d is passed to the output without correction ($e = d$). A controlled switch in the y-channel in figure 4 is the graphical equivalent of this. By continuing the adaptation the adaptive filter(s) could drift away from the acoustic path replica due to the activity of background noise at the near-end side.

Also when a local near-end speaker is active or in double-talk situations, i.e. when both speakers are active, the adaptation process must be frozen. This freezing process is also indicated in figure 4 by a controlled switch in the adaptation arrow. Otherwise, the adaptive filter is again driven away from its Wiener solution by the local non-stationary source. The adaptive coefficients would be whirling around on the rhythm of the local source resulting in an annoying echo-like disturbance. Near-end speech detection is thus crucial for correct operation. Block based algorithms can look into the near future and hopefully, they are able to detect an active near-end speaker as soon as possible. In case of double-talk, this is far from easy as it comes down to a detection of speech in speech. The onsets of speech are often difficult to detect and to discriminate from a non-stationary part of the far-end signal. A double-talk detector which is too sensitive will generate a lot of false alarms. The adaptation is regularly stopped, so the overall convergence speed will be low. On the other hand, when the detector is critically tuned, even a slightly too late detection of the onset of near-end speech could lead to a significant misfit of the adaptive filter.

The echo path is supposed to attenuate the far-end signal level. Therefore, a comparison between far-end and near-end instantaneous energy gives an idea about near-end source activity. If $E_d > \tau E_x$ double talk is detected[6]. Fine tuning threshold τ is crucial however. Another measure could be [8] :

$$\rho = \frac{E_x E_e}{E_x^2 + E_y^2} \qquad (10)$$

It is smaller than 1 in absence of double talk. When a local speaker begins to speak, ρ will start to rise.

The problem so far is that the adaptation is switched either off or on. A sliding stepsize μ may be more appropriate. μ can vary between 0 (near-end activity) and μ_{max} (only far-end activity) based on the probability that the near-end source is active. In [12] a correlation based method was proposed. In the absence of near-end speech the loudspeaker and microphone signal are highly correlated. An estimate of the attenuation $\alpha = \frac{E_e}{E_x}$ can be updated now. If the short-time energy at the output of the adaptive filter E_e is significantly larger than expected ($E_e > \alpha E_x$) adaptation must be stopped. By comparing the short-time and long-time energies of both x and e, the activity at the far-end side as well as the level of near-end background noise can be estimated.

B. Post-processing

A nonlinear operator is often inserted at the output of the echo canceller. Due to slow convergence, time-varying environments, wrong control decisions and nonlinear distortion a residual error remains. Residual errors can be removed further by a centre clipper for instance. It is a threshold device operating as follows :

$$x_{out} = \begin{cases} x_{in} + \delta & x_{in} < -\delta \\ 0 & -\delta \leqslant x_{in} \leqslant \delta \\ x_{in} - \delta & x_{in} > \delta \end{cases} \qquad (11)$$

Threshold δ is a positive constant and can be set to be in the order of magnitude of the signal threshold ϵ. A centre clipper also clips near-end signals. Too high values for ϵ would result in unacceptable near-end signal distortion. The residual error level E_e is typically some 30 dB lower than E_d. If $\delta \approx E_e$, most of the residuals can be removed without severe distortion of near-end speech.

[6] E_d is the near-end frame energy. E_x is the energy corresponding to the far-end frame, $\tau < 1$.

IV. Real-Time Implementation on DSP

A real-time echo canceller was programmed on DSP as a demo for adaptive echo cancellation and hands-free communication. The canceller basically consists of an adaptive filtering core and some surrounding control software (fig. 4). Several adaptive filters can be plugged in for evaluation and comparison.

A. DSP equipment

Two DSP boards are placed in a VME-rack. They are accessible through our local network via a Sun Sparc station. For this application two DSPs are used. A 25-MIPS TMS320C44[7], clocked at 50 MHz is responsible for the data acquisition. The loudspeaker and microphone channel are first sampled at 16 kHz and then digitally downsampled to 8 kHz to avoid aliasing distortion. The input channels x and d are sent to a second DSP, a 25-MIPS TMS320C40 @ 50 MHz, which does the echo cancellation. The output samples e are transferred back to the first DSP and after digital upsampling, they are sent to a loudspeaker for evaluation.

B. Software

The algorithms were first tested in matlab en C and then ported to DSP. For all DSP algorithms there exist parallel versions in matlab and C giving the same results up to within machine precision. The control algorithm is based on [12] and was mainly programmed in C. Some of its features were already described in a previous paragraph.
Different adaptive algorithms were implemented, mainly programmed in assembly. In this way some specific DSP operations such as circular addressing and parallel instructions are optimally used [13]. At this moment NLMS, unconstrained PBFDAF and PBFRAP are available on DSP. The implementation of a constrained PBFDAF is on its way. The longest filter that could be adapted in real-time using an unconstrained PBFDAF with $L = P = \frac{M}{2} = 64$ was 325 ms. For NLMS this reduces to 100 ms : the on-chip memory of the C4x is very fast, but rather small and puts a constraint on the filter length.

C. Experiments

Some tests were carried out in the ESAT speech laboratory, which has a recording room with variable damping and the necessary equipment to set up an experiment. Referring to figure 4, a loudspeaker (far-end signal x) and a microphone (near-end signal d) were placed 40 cm apart. The near-end speaker was replaced by another loudspeaker, fed by a CD-player, to avoid unwanted time-variations in the echo path by speaker's motion. The impulse response of the room was determined. The room was found to be moderately damped.

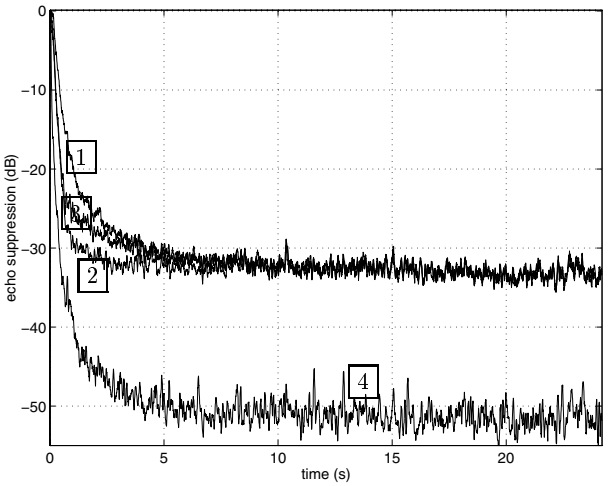


Fig. 5. Convergence behaviour

In a first experiment band filtered[8] white noise was put through the far-end loudspeaker, the near-end speaker remained silent. The acoustic path was estimated with an FIR filter of 768 taps (96 ms) using 4 adaptive algorithms ($L = P = \frac{M}{2} = 64$, f_s=8 kHz):

1. unconstrained PBFDAF
2. constrained PBFDAF [9]
3. NLMS (block length= 64)
4. unconstrained PBFRAP (2 iterations)

The results are shown in figure 5.
After a fast initial convergence a residual error remains. This is mainly because the infinite length path is modelled with a finite length filter. The PBFRAP algorithm apparently has the best convergence properties. Nevertheless, in practice the echo suppression will not come below approximately 30 dB, because of nonlinear distortion (loudspeaker), the non-stationarity of the acoustic path and wrong control decisions. Identifying long acoustic paths is therefore not advised. It will slow down convergence, lowering the error level just a little bit. By identifying only the dominant part of the acoustic path —100 ms e.g., as was done in this experiment— sufficient echo suppres-

[7] The TMS320C4x-family are standard floating-point DSPs from Texas Instruments, suitable for audio processing.

[8] The passband was chosen to be [200,3700] Hz.

[9] The DSP implementation is still under construction. The results were obtained in matlab.

sion is obtained and more expensive adaptive algorithms such as NLMS may be reconsidered for acoustic echo cancellation.

Returning to the previous experiment, the execution times of the most important blocks of the DSP-code were measured for unconstrained PBFDAF and NLMS. The cost for the constrained case or PBFRAP can be extrapolated based on this table.

cost per block of 64 samples	Unconstrained PBFDAF	NLMS
fill signal buffers	579.9 μs	310.9 μs
first control block	840.9 μs	846.3 μs
copying frames	80.8 μs	-
FFT	342.0 μs	-
power estimation	52.5 μs	-
filtering	794.9 μs	-
IFFT	381.4 μs	-
loop	98.6 μs	-
FFT	342.2 μs	-
gradient estimation	624.2 μs	-
adaptation	498.0 μs	-
NLMS-updating	-	6046.7 μs
second control block	22.3 μs	11.0 μs
nonlinear processing	261.0 μs	251.2 μs
total	4922 μs	7478 μs

The echo canceller was further validated through listening tests in the speech laboratory. In this case both the far-end and near-end source are active. Several tests were done under different conditions : different signals ((coloured) noise, speech, music, ...), sampling frequencies and source volume. Also the effect of a time-varying echo path was verified. The steering algorithm came up to our expectations.

V. Conclusions

A real-time acoustic echo canceller was implemented on DSP. Different adaptive algorithms were compared. Acoustic channels up to 325 ms could be modelled with an unconstrained PBFDAF. In practice there will always be a residual error. Therefore, by modelling only the dominant part of the echo path sufficient echo suppression can be obtained. More expensive adaptive filters such as NLMS may be reconsidered then.

VI. Acknowledgements

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